

# *The effect of a simple homogeneous ice nucleation on the ECMUF model*

*or “progress (or lack thereof) in the representation of ice physics in the IFS”*

**Aim of this presentation:** To outline some of the complexity of implementing even a simple microphysics into a large-scale model with fractional cloud cover

**Contents:**

- (1) Simple supersaturation scheme
- (2) SCM and 3D results
- (3) Future and outlook

*Adrian Tompkins, ECMUF, UK*

*With many thanks to Klaus Gierens, DLR*

*Much of this talk also inspired by*

*Ulrike Lohmann and Bernd Karcher*

with thanks to Klaus...



# Current *ECMWF* cloud schemes

Forecast Scheme

Analysis Scheme

Prognostic  
Variables

$T, q_v, q_{cl}, C$

$T, q_v$

Sources and sinks from  
VDF, convection,  
radiation, dynamics...

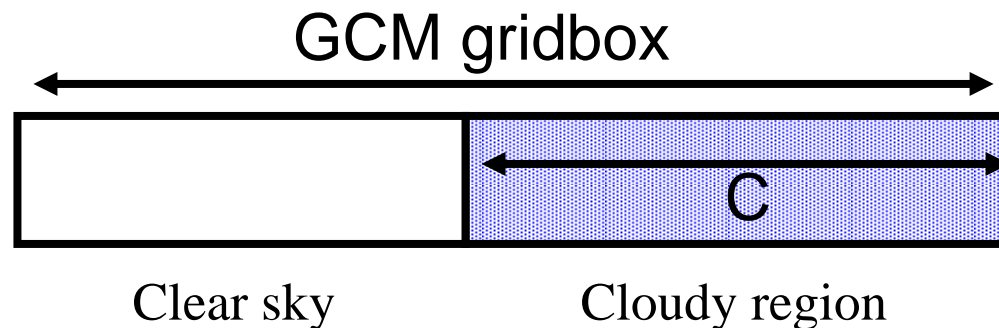
Statistical diagnostic  
scheme with convective  
source term

Neither Scheme allows for supersaturation



# 1. Approach

- ◆ We are interested in representing supersaturation
- ◆ 1<sup>st</sup> attempt, include simple parameterization in existing ECMWF cloud scheme
- ◆ Desires:
  - ◆ Supersaturated clear-sky states with respect to ice
  - ◆ Existence of ice crystals in locally subsaturated state



# 1. Approach

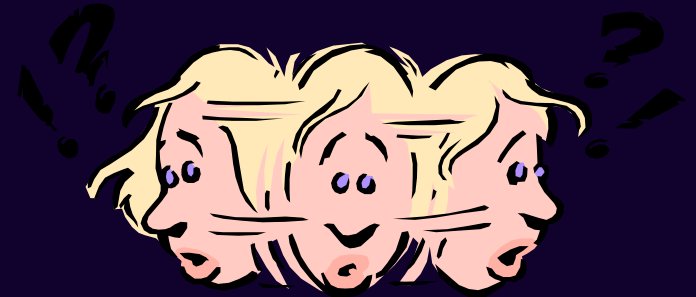
## ◆ Desires:

- ◆ Supersaturated clear-sky states with respect to ice
- ◆ Existence of ice crystals in locally subsaturated state

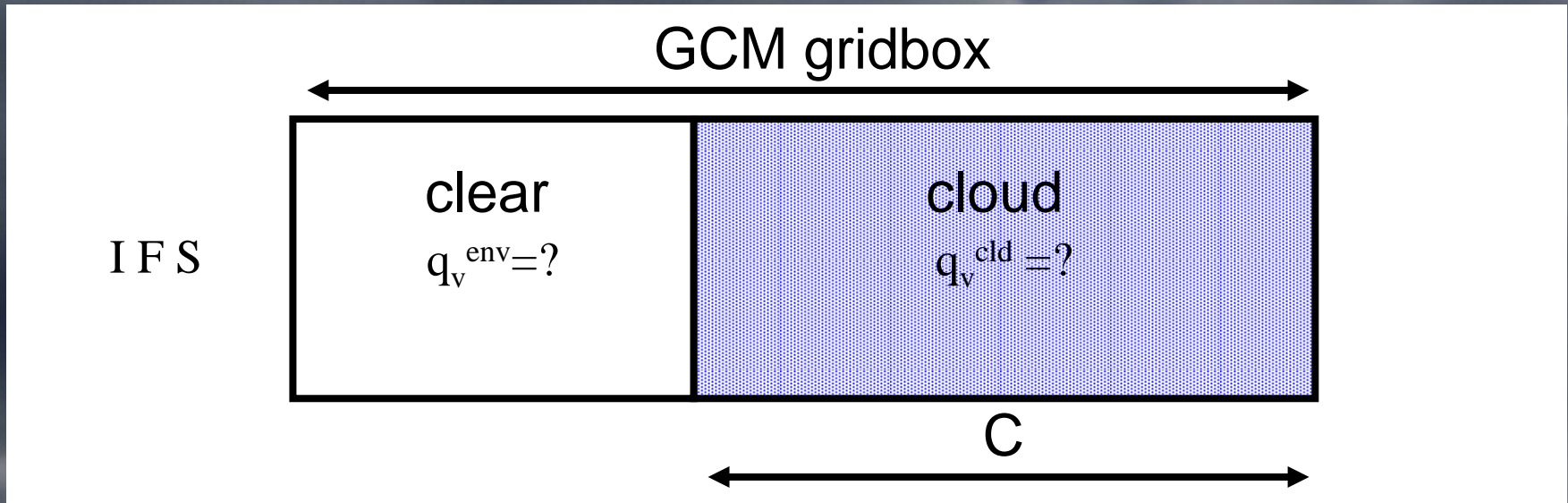
## ◆ Not possible to model sublimation and nucleation timescales without either

- (a) Additional prognostic equation(s), or
- (b) Simplifying assumptions

## ◆ What does this mean? 🤔



Unlike “parcel” models, or high resolution LES models, we have to deal with subgrid variability

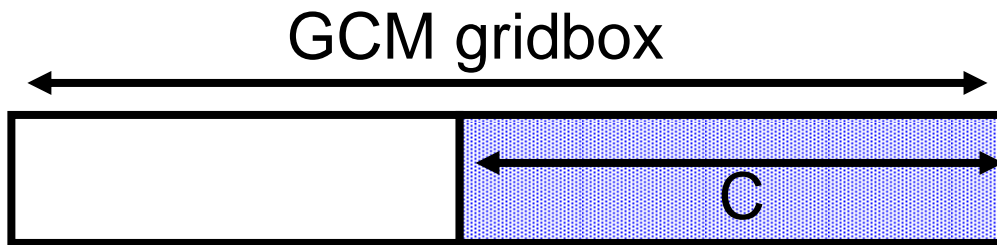


Three items of information:  $q_v$ ,  $q_i$ ,  $C$  (vapour, cloud ice and cover)

- We know:  $q_c$  occurs in the cloudy part of the gridbox
- We know: The mean in-cloud cloud ice
- What about the water vapour? In the **bad-old-days** was easy:
- Clouds:  $q_v^{cld}=q_s$
- Clear sky:  $q_v^{env}=(q_v-Cq_s)/(1-C)$  (rain evap and new cloud formation)

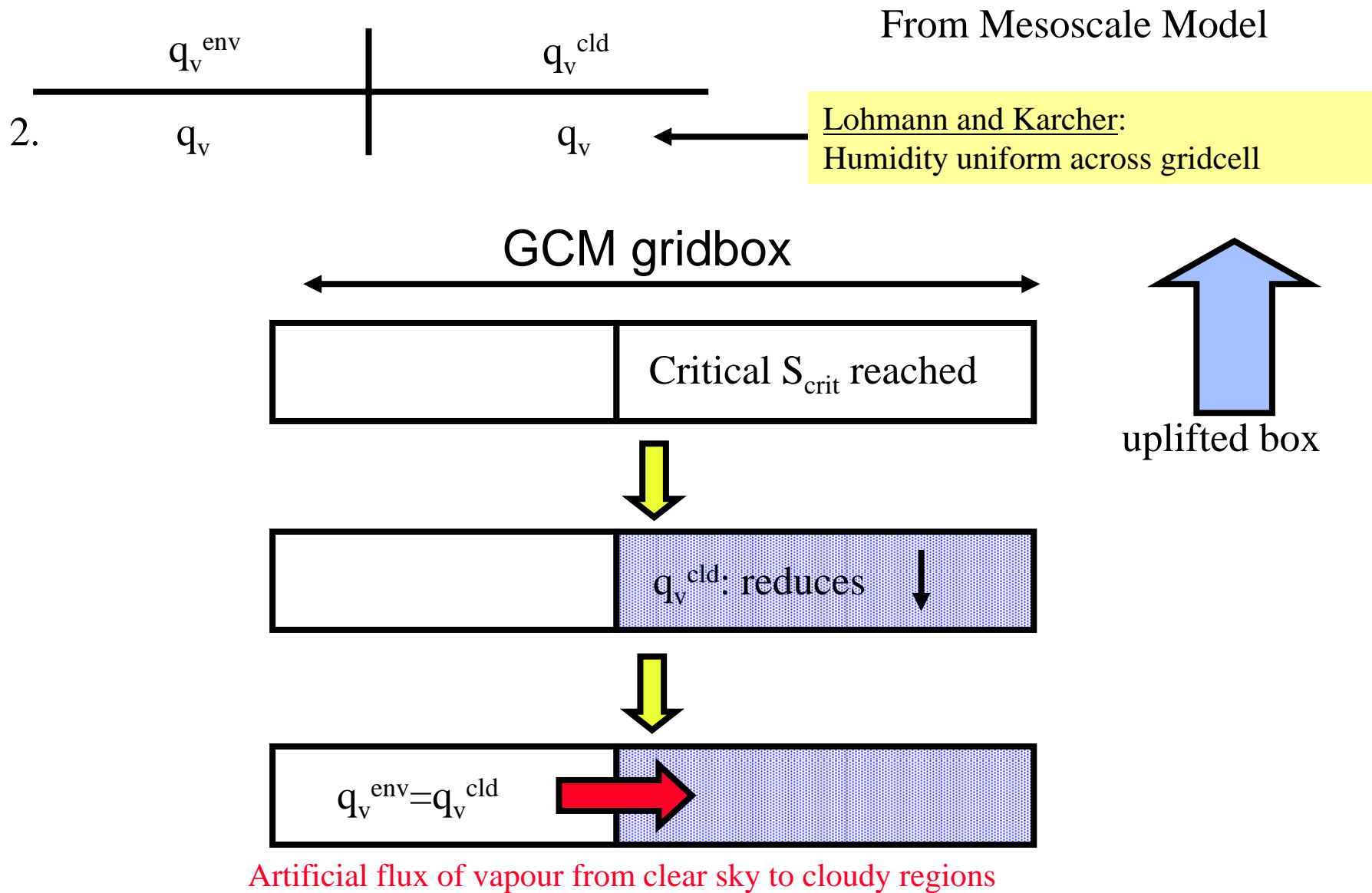


The **good-new-days**: assume no supersaturation CAN exist



	$q_v^{\text{env}}$	$q_v^{\text{cld}}$	
1.	$(q_v - Cq_s)/(1-C)$	$q_s$	<b>The bad old days</b> No supersaturation
2.	$q_v$	$q_v$	<b>Lohmann and Karcher:</b> Humidity uniform across gridcell
3.	$q_v + q_i$	$q_v - q_i(1-C)/C$	<b>Klaus Gierens:</b> Humidity in clear sky part equal to the mean total water
4.	$(q_v - Cq_s)/(1-C)$	$q_s$	<b>My assumption:</b> Hang on... Looks familiar???

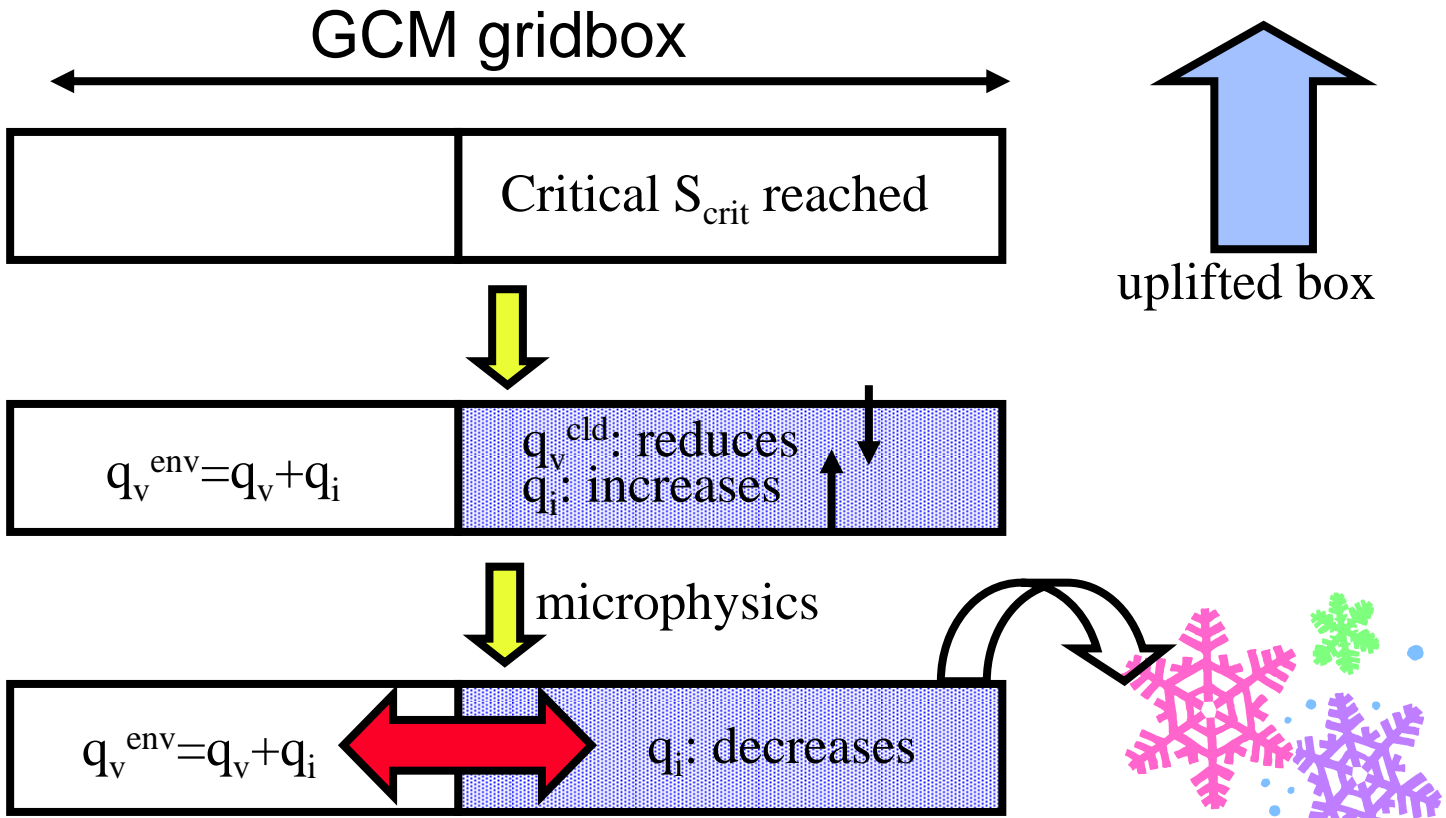
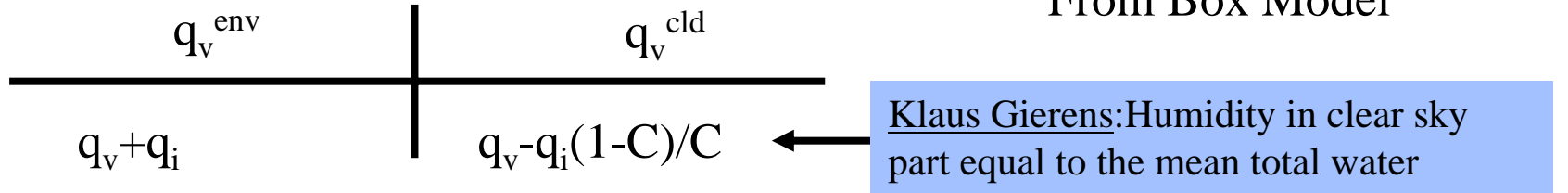




Assumption ignores fact that difference processes are occurring on the subgrid-scale, and amounts to an “all-or-nothing” scheme



3.



Artificial flux of vapour from clear sky from/to cloudy regions

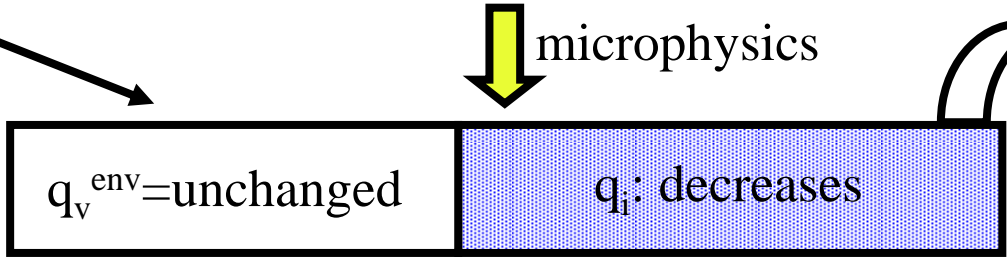
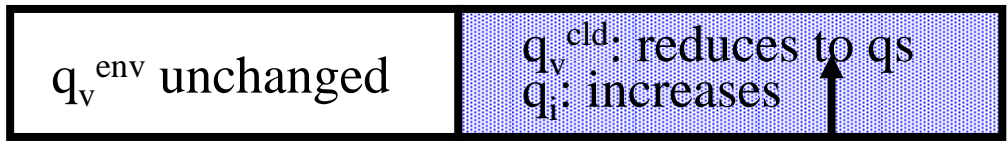
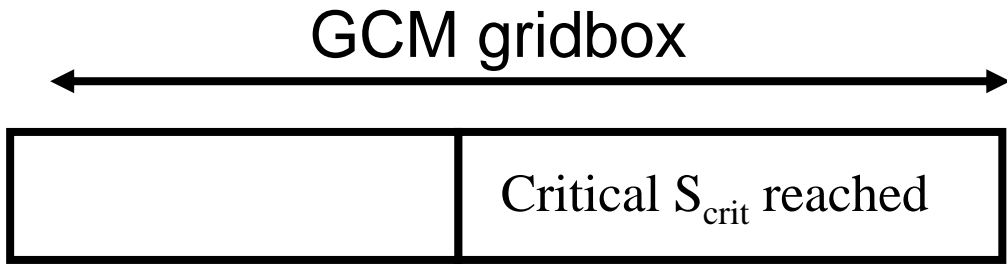
Assumption is valid in absence of microphysics (i.e. box model). Any changes due to microphysics implies an artificial horizontal flux



$$4. \quad \begin{array}{c|c} q_v^{\text{env}} & q_v^{\text{cld}} \\ \hline (q_v - Cq_s)/(1-C) & q_s \end{array}$$

My assumption: Hang on...  
Looks familiar???

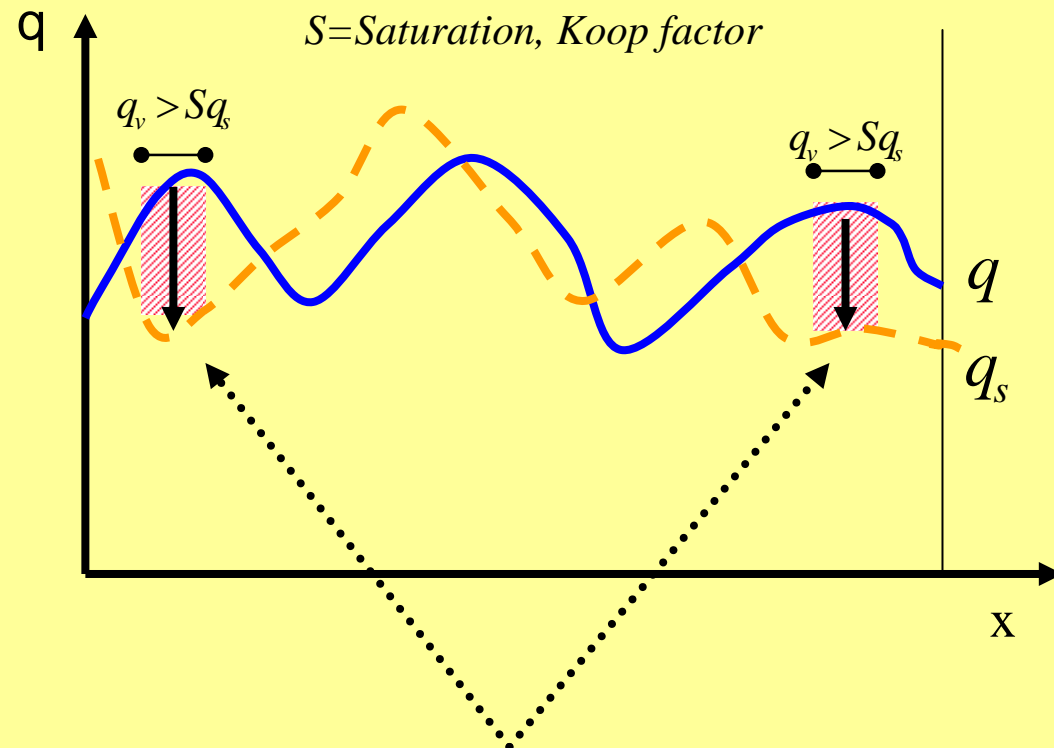
Difference to standard scheme is that environmental humidity must exceed  $S_{\text{crit}}$  to form new cloud



No artificial flux of vapour from clear sky from/to cloudy regions

Assumption seems reasonable: BUT! Does not allow nucleation or sublimation timescales to be represented, due to hard adjustment

# Justification



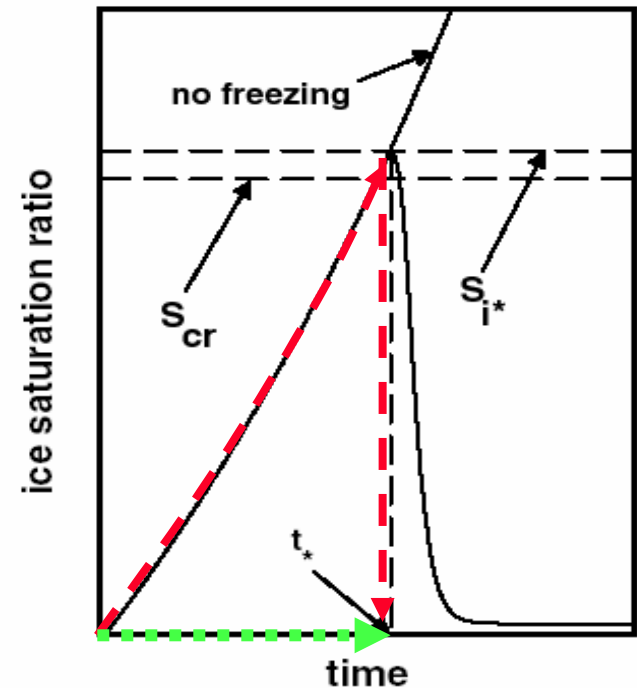
Assumption is that this adjustment timescale is fast (KG=900s) compared to GCM timestep (900-3600s) therefore allowing diagnostic relationship can be used

## A parameterization of cirrus cloud formation: Homogeneous freezing of supercooled aerosols

B. Kärcher

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U. Lohmann



**Figure 1.** Temporal evolution of the ice saturation ratio in a uniform vertical ascent. Curve labeled “no freezing” neglects ice particle formation, in which case  $S_i$  grows exponentially in the rising air parcel. If ice particles form and grow above a critical value  $S_{cr}$ , the saturation ratio reaches a maximum value  $S_{i^*}$  and falls off rapidly due to depletion of the available water vapor. If the air parcel continues to rise after  $S_i$  passes its maximum,  $S_{i^*}$  may exceed  $S_{cr}$  by several percent, and  $S_i$  approaches a limiting value slightly above unity; otherwise,  $S_{i^*}$  is approximately equal to  $S_{cr}$ , and  $S_i$  relaxes to unity. According to numerical simulations, the difference between  $S_{i^*}$  and  $S_{cr}$  is much smaller than the threshold saturation ratio  $S_{cr}$ , and the relaxation time is much smaller than  $t_*$ .

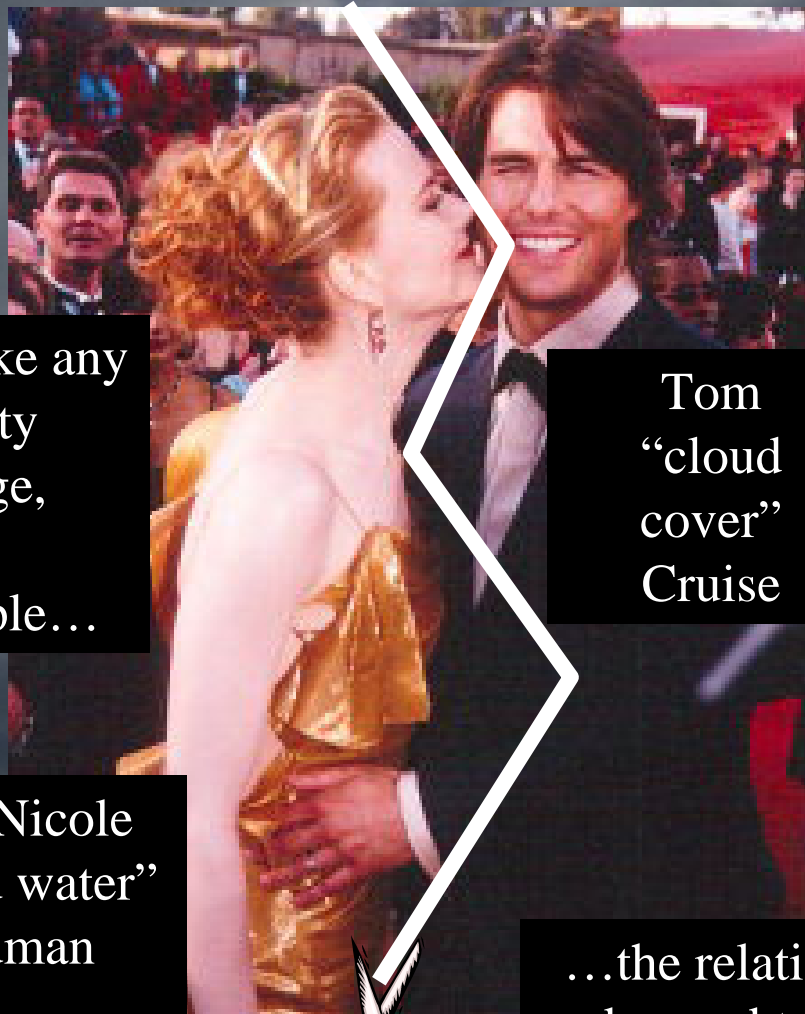
## *To summarize the scheme*



The “head in the sand” Ostrich Scheme

$q_v^{env} = (q_v - Cq_s) / (1 - C)$  : Note changes in C and  $q_v$  must be self-consistent

*A cloud scheme can be like...*



And just like any celebrity marriage, for example...

Tom “cloud cover” Cruise

And Nicole “cloud water” Kidman

...the relationship is doomed to failure



Cloud Cover

Cloud Ice



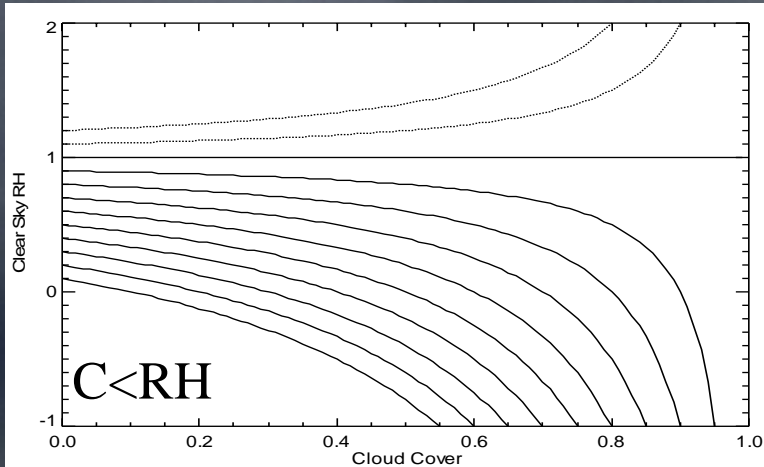
## *How is this manifested?*

- ◆ **The most obvious examples are**
  - ◆  $q_i=0$  when  $C>0$
  - ◆  $C=0$  when  $q_i>0$
  - ◆  $C=q_i=0$  when  $q_v>q_s$
- ◆ **How often does this happen? More than you care to wish!**
- ◆ **(All) Schemes are full of “clean ups”, “tidy ups”, “safety check”, “clipping”**
- ◆ **The more complicated a schemes becomes, the more likely these problems arise, and the more serious their impact**
- ◆ **Advantage of statistical schemes: end products are constrained 2b self-consistent**



# Even if $C > 0$ and $q_i > 0$ can have inconsistency

Tompkins  $RH_{env} = (RH - C) / (1 - C)$

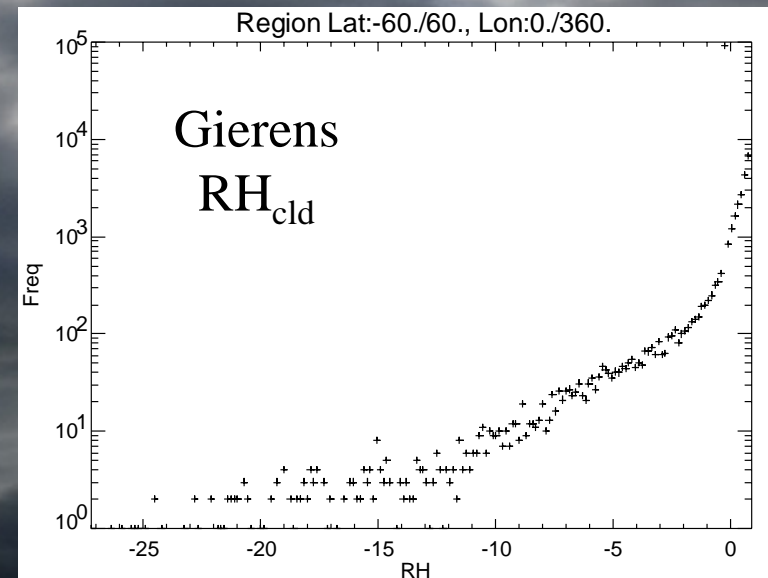
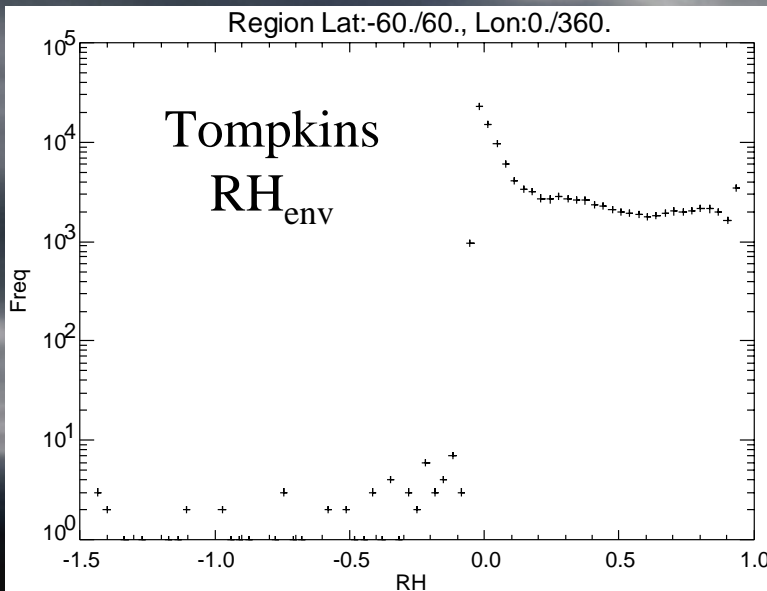


Likewise for Klaus' form for in-cloud RH

$$RH_{cld} = RH - q_i(1 - C) / (q_s C)$$

How often does this happen?

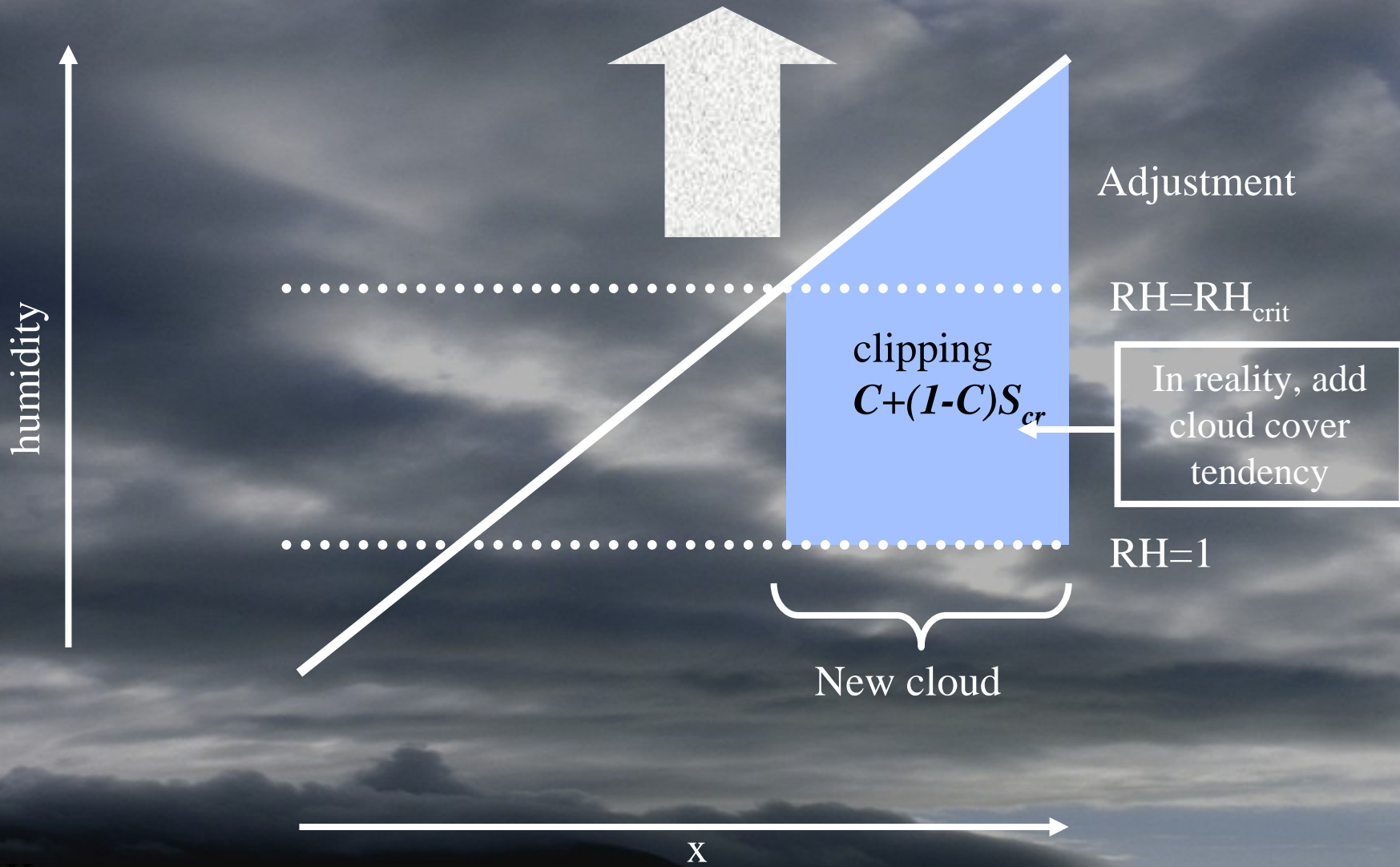
T95 200 hPa 5 day



inconsistent with microphysics



# New parameterization



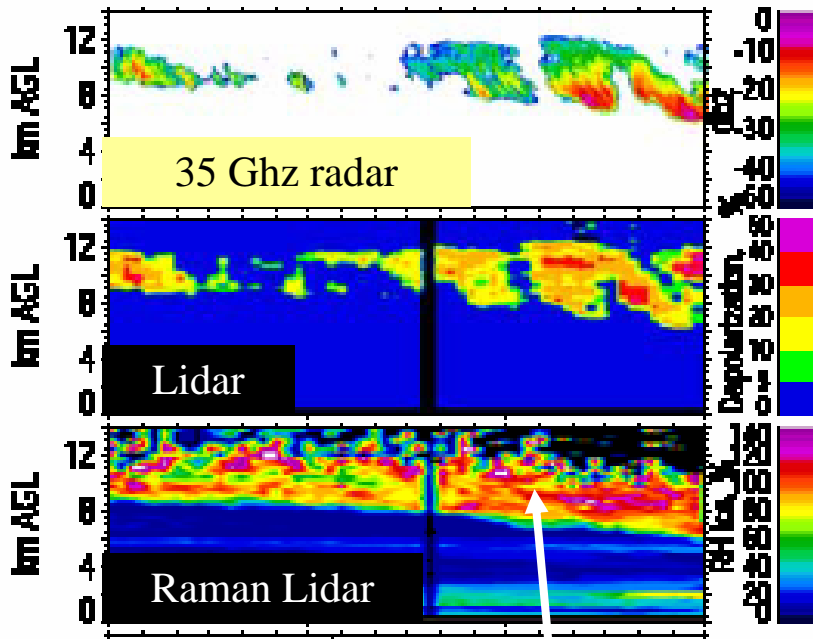
K



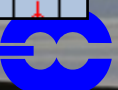
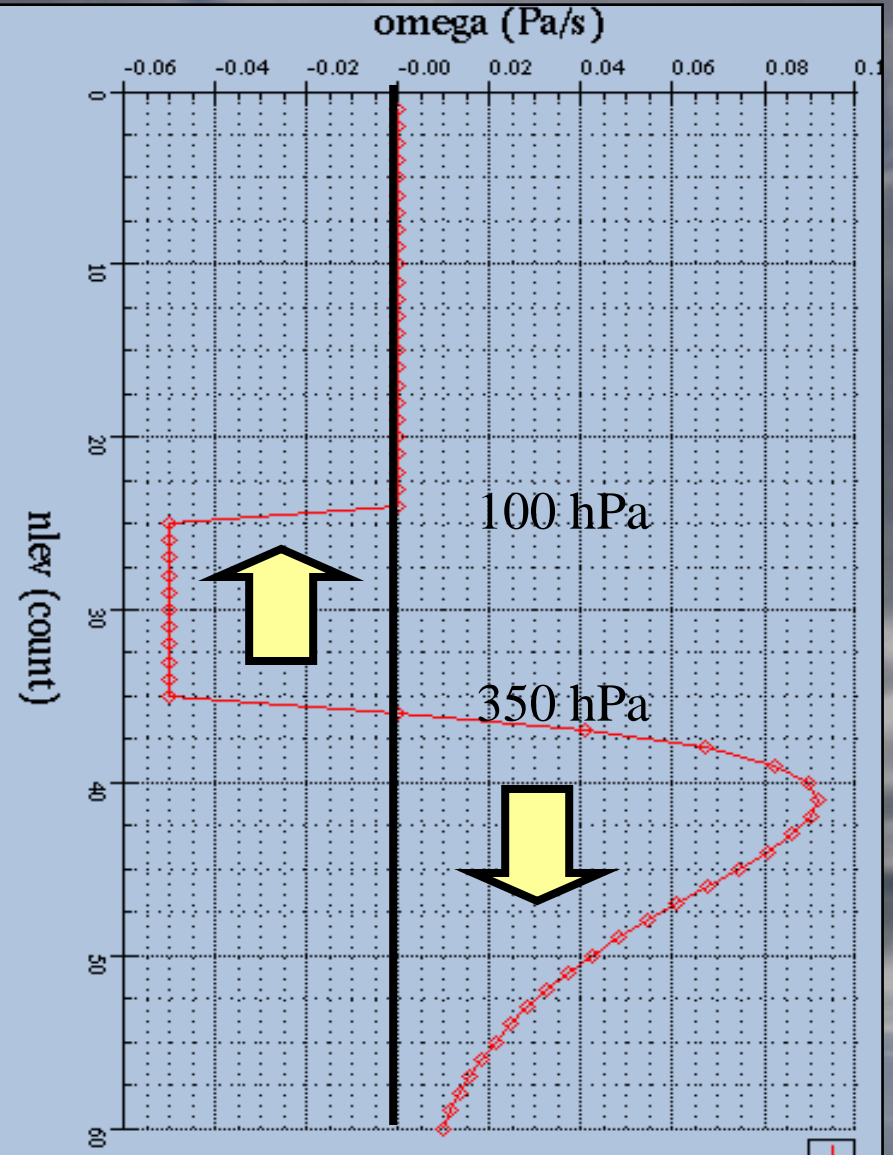
# Single column model run

- ◆ Test out in idealized cirrus case
- ◆ Initialize dry atmosphere
- ◆ Uplift between 100 and 350hPa, subsidence below

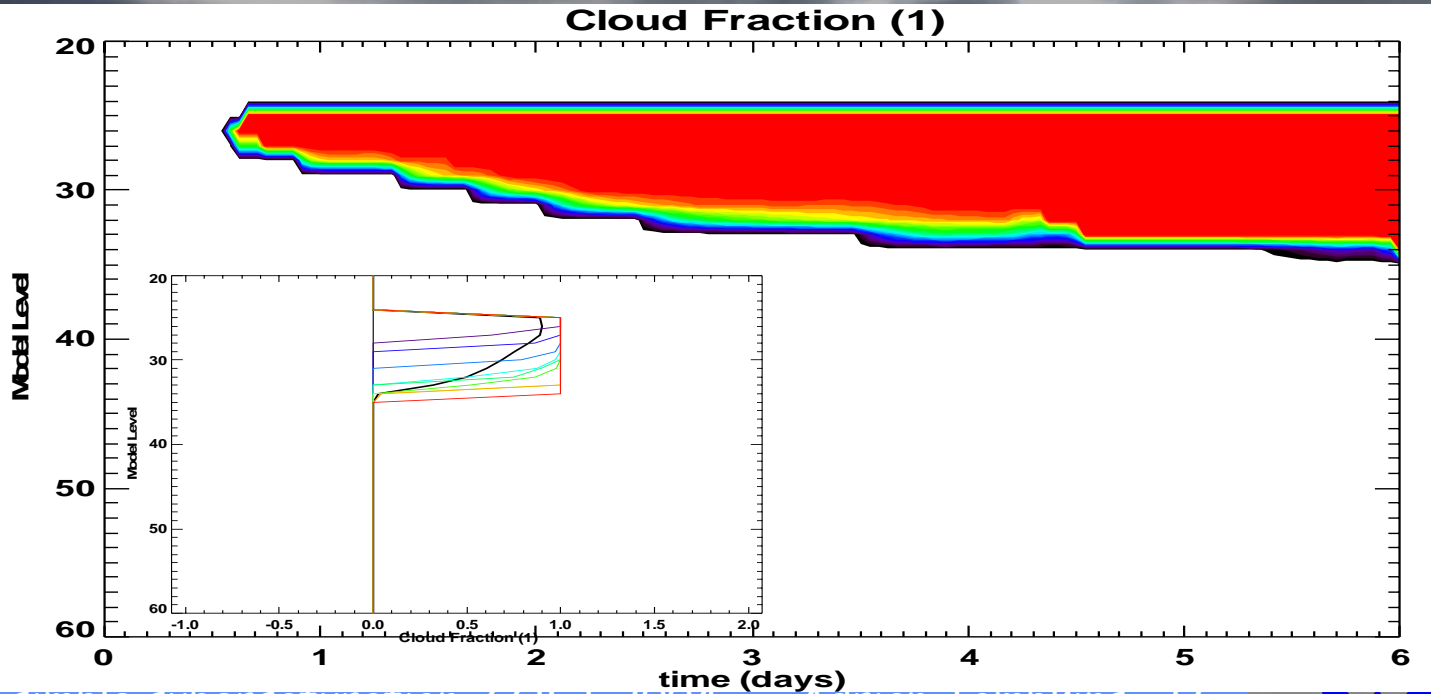
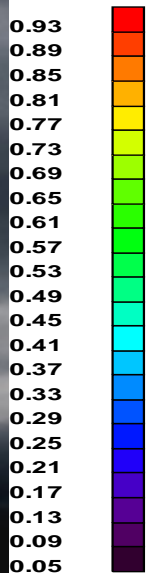
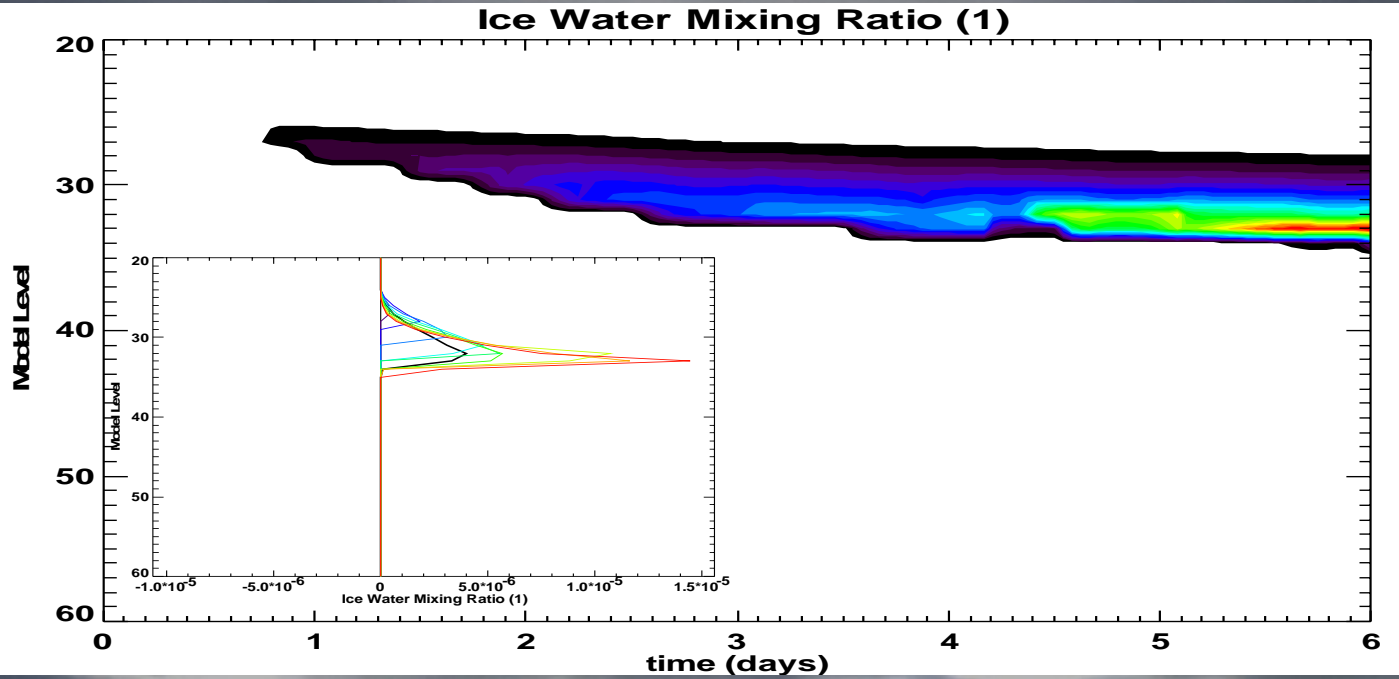
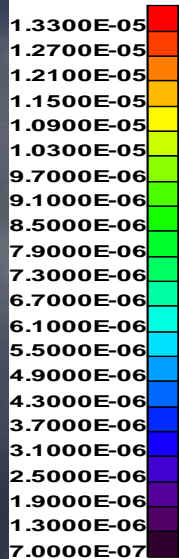
From Comstock et al. GRL 2004



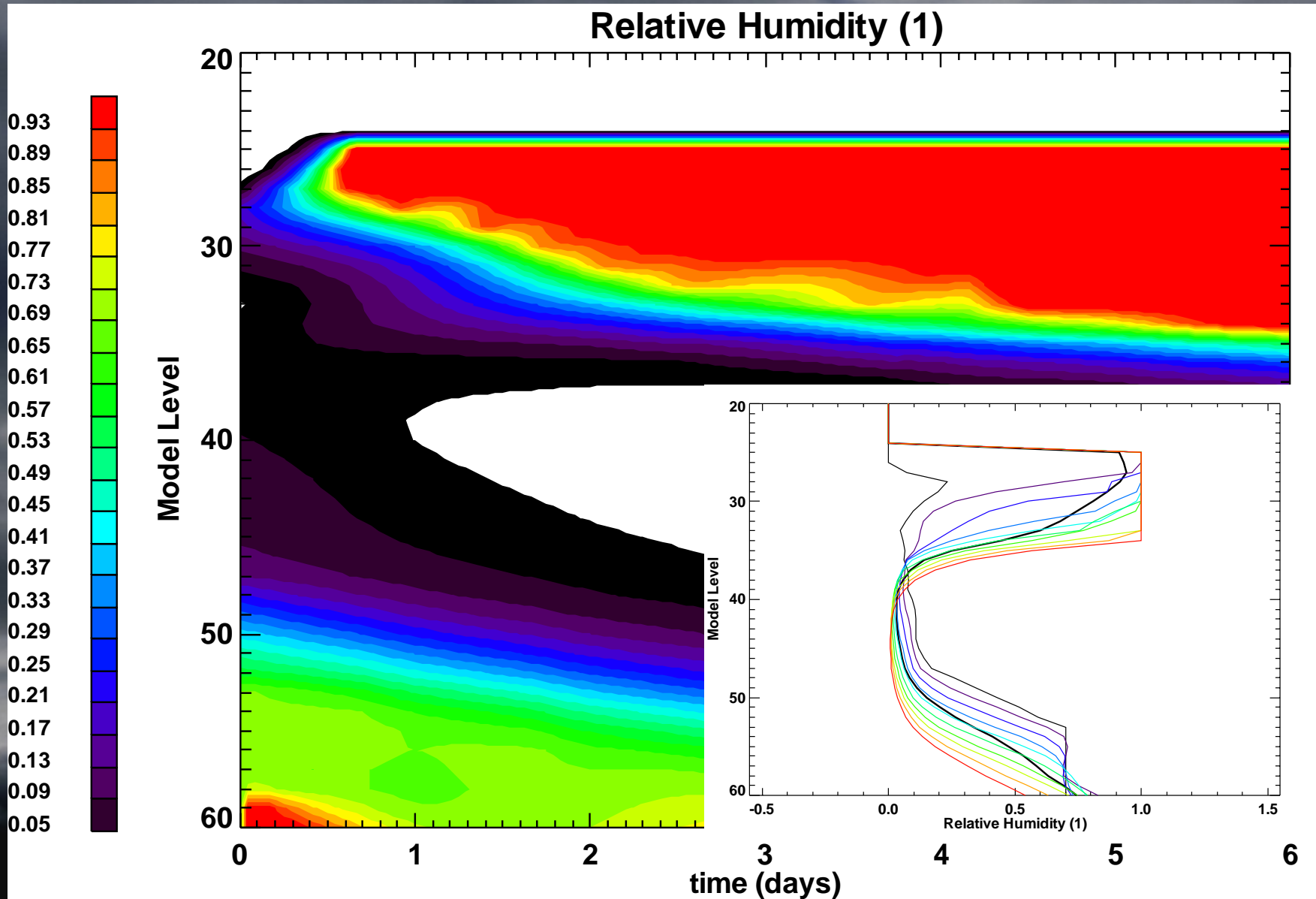
Note variability



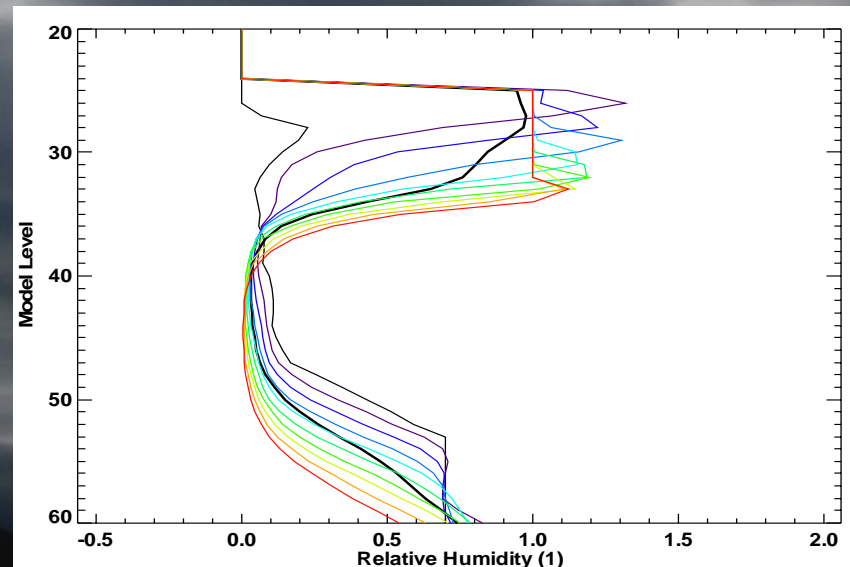
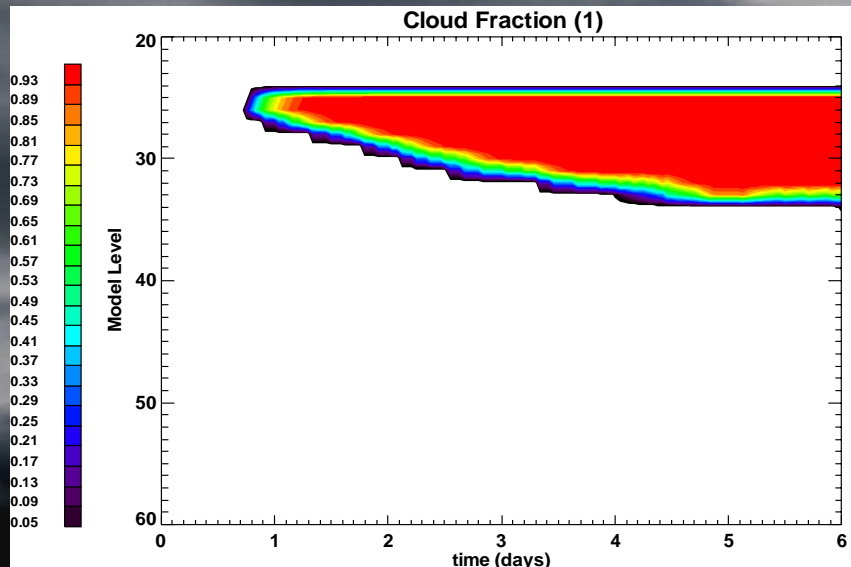
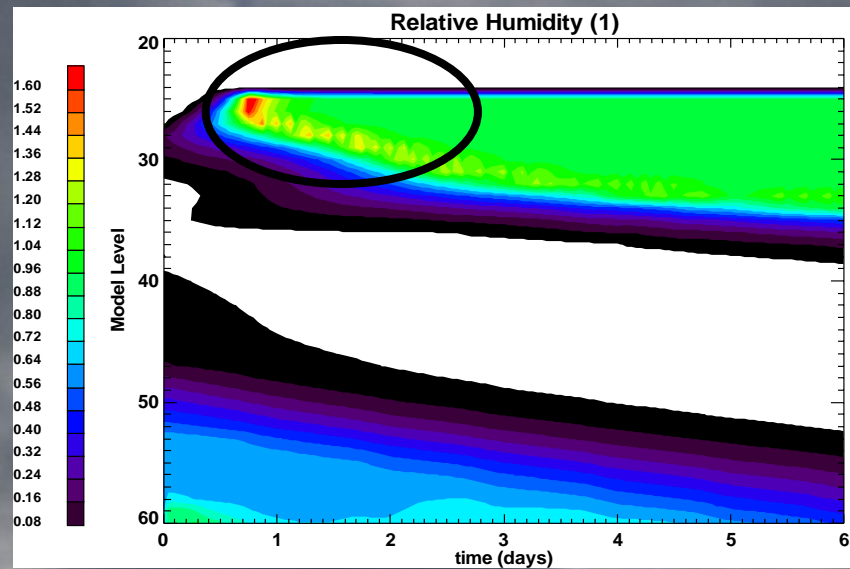
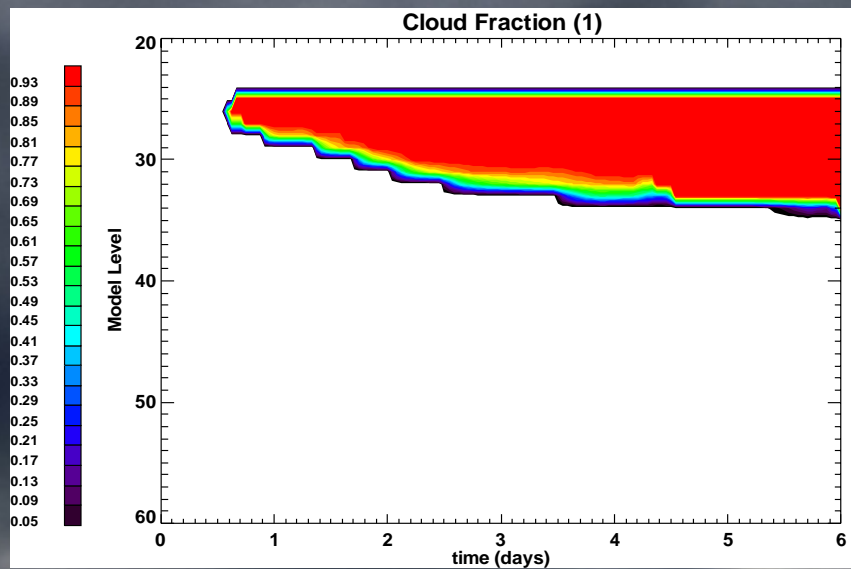
Control



# Standard model results: RH



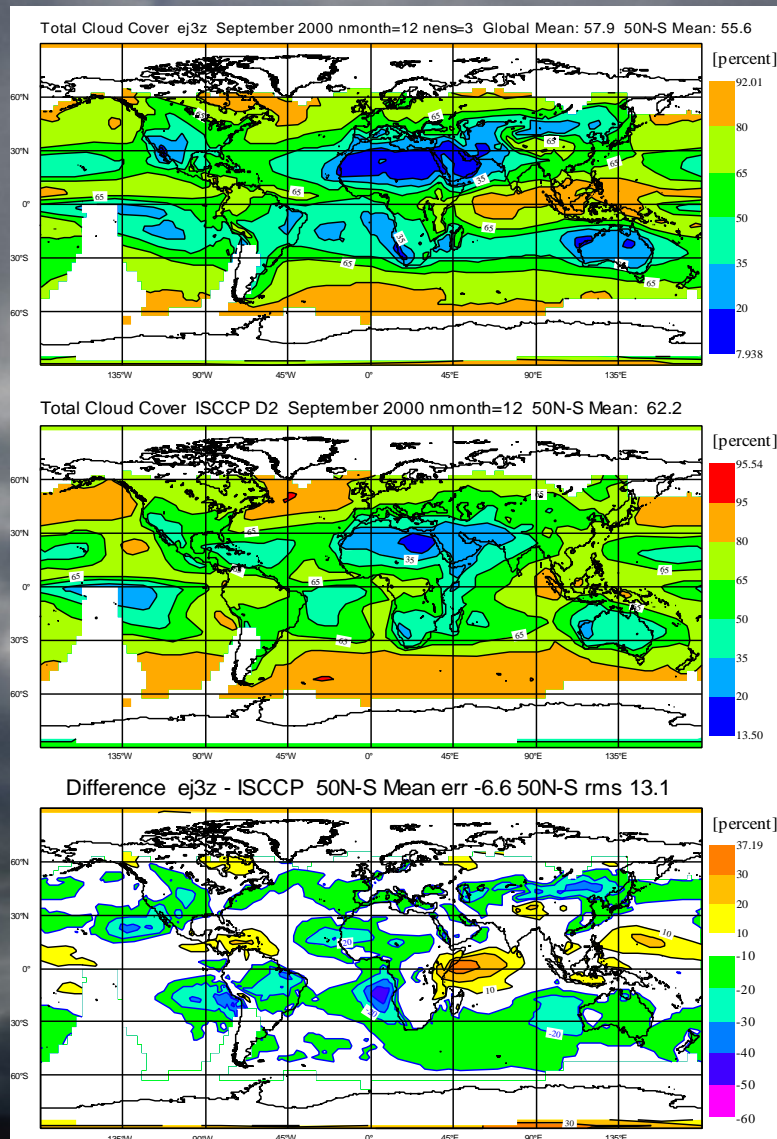
# New parameterization



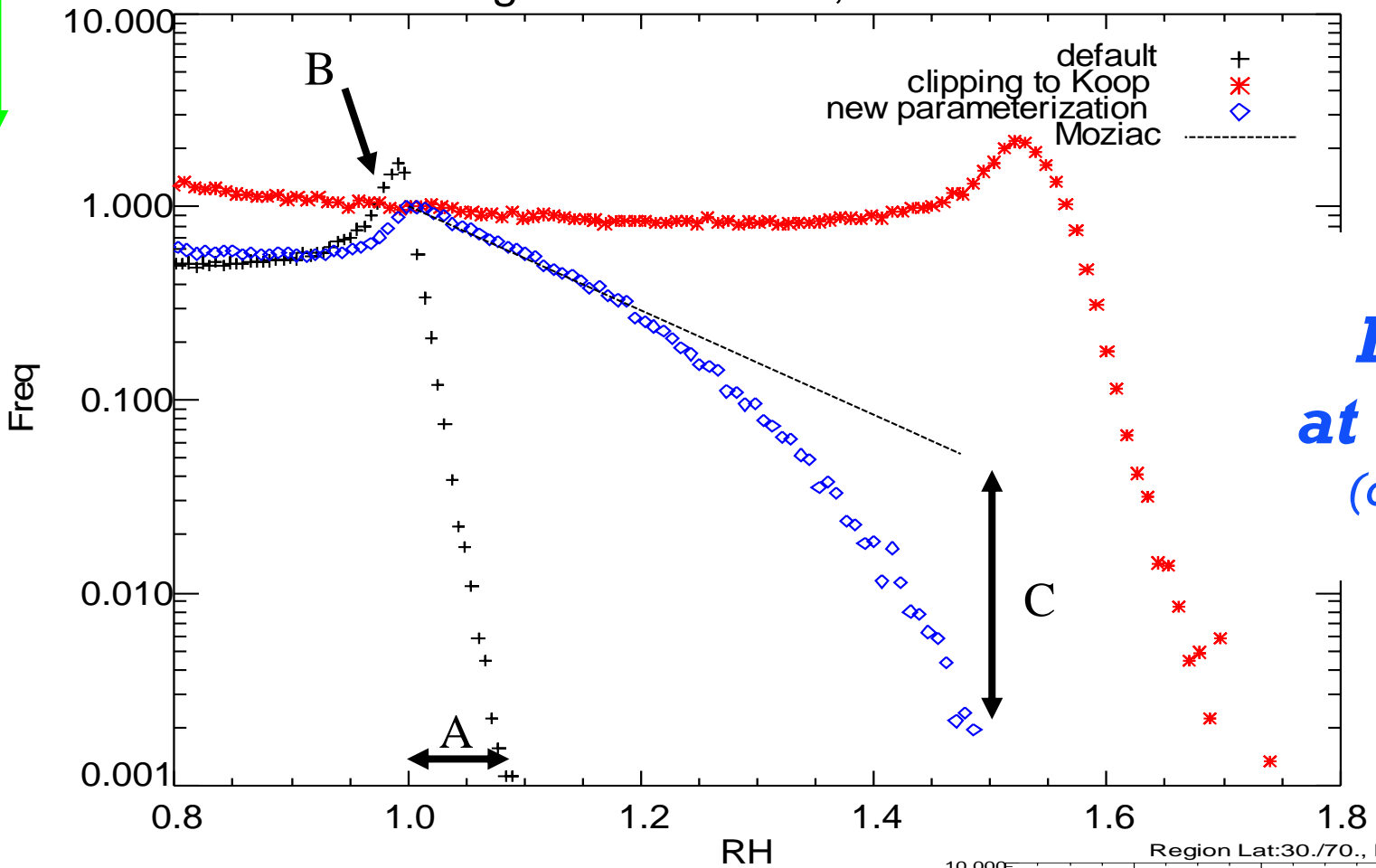
## 3D tests

- ◆ Test out in single forecast at T95, L60 resolution, 13 months from Aug 2000 cycle 28r3.
- ◆ Run control, variations on new parametrization
- ◆ Note: Without clipping supersaturations of up to 8000%: Numerics

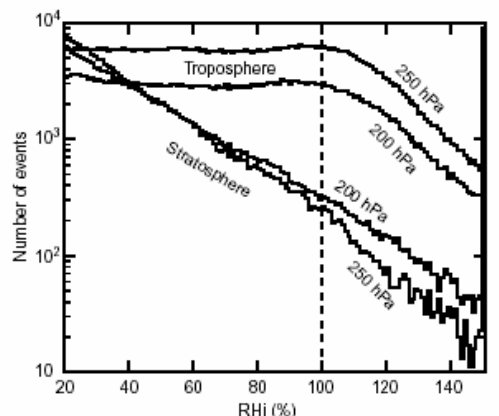
## Control TCC version ISCCP



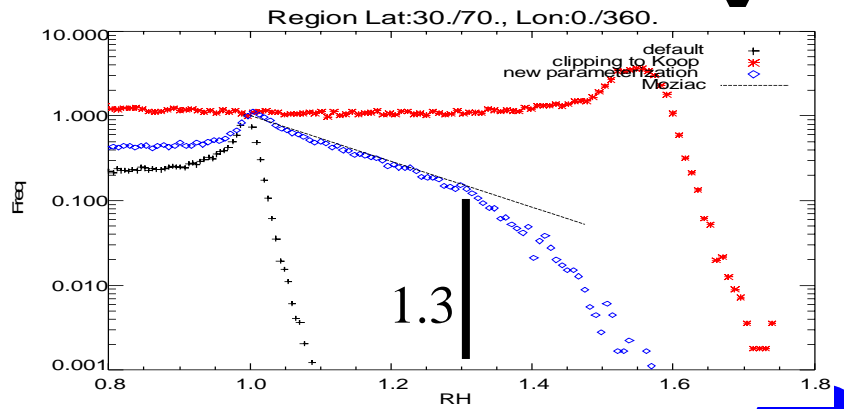
Region Lat:-60./60., Lon:0./360.



**RH PDF**  
**at ~ 250hPa**  
*(one month)*



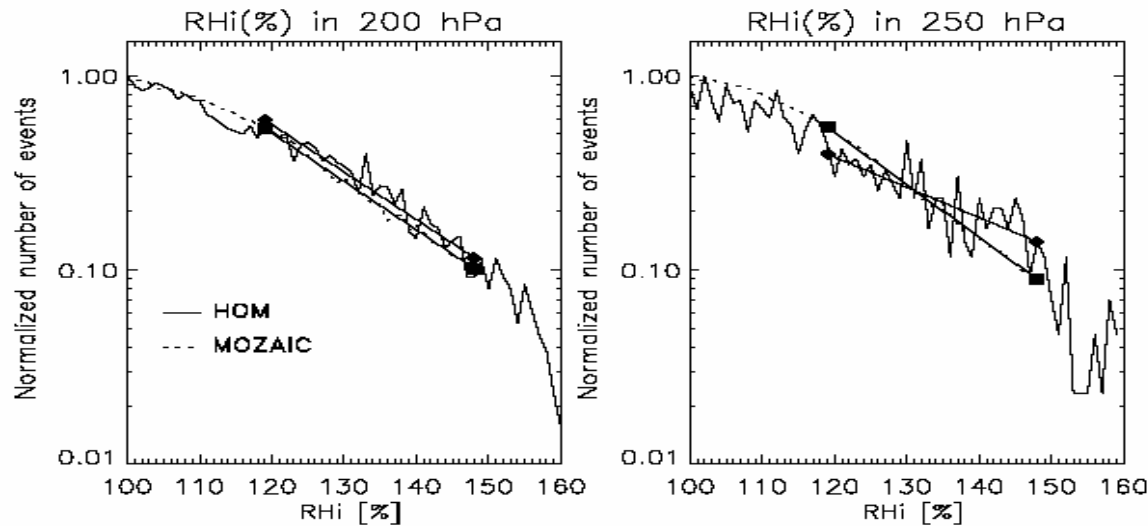
from  
 Gierens  
 et al 99



# Comparison to Moziac

8 - 4

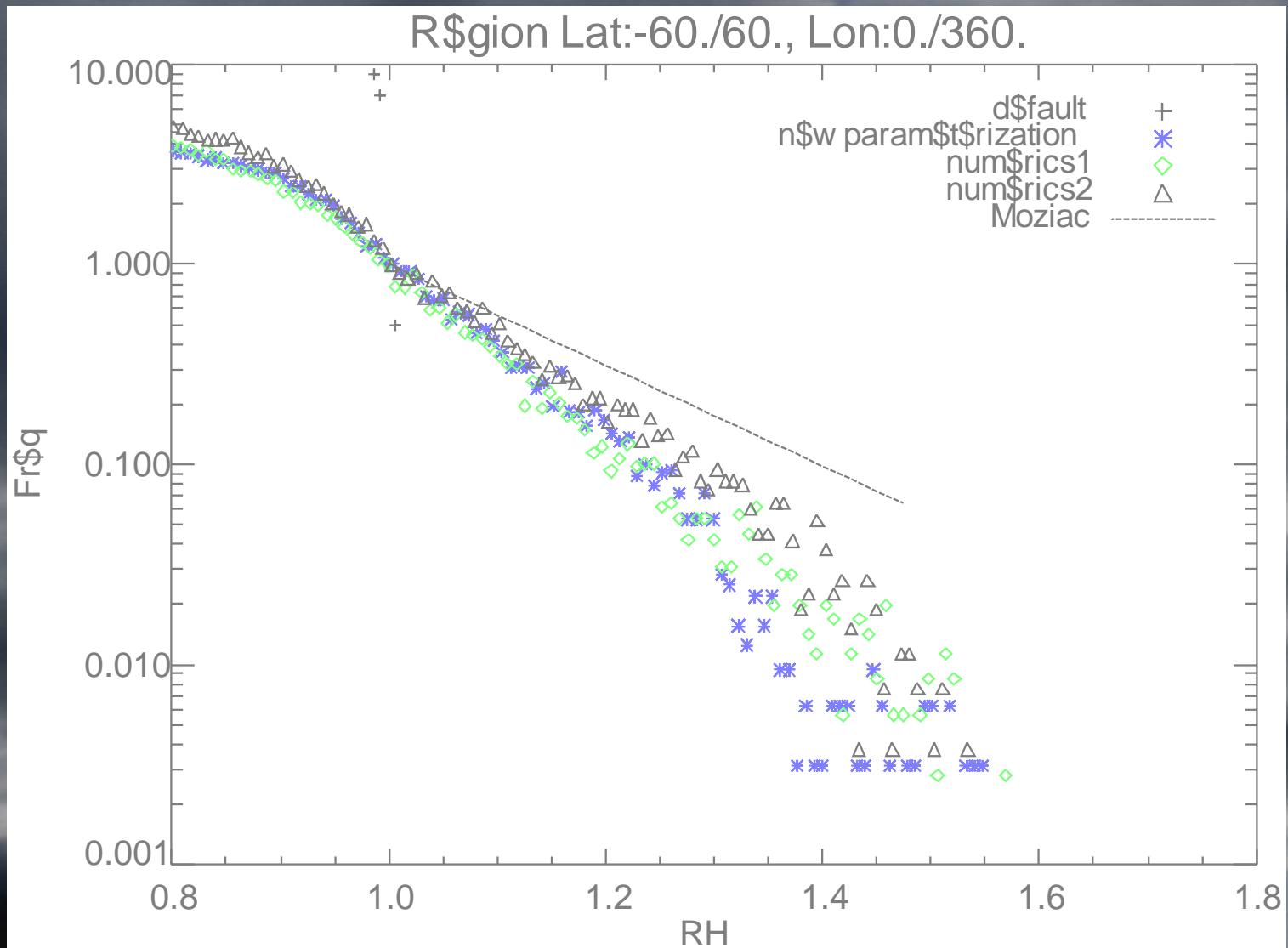
LOHMANN AND KÄRCHER: CIRRUS PARAMETERIZATION FOR GCMS



**Figure 2.** Normalized frequency distribution of relative humidity with respect to ice in two layers centered around 200 and 250 hPa for cloud-free conditions from MOZAIC observations and simulation HOM. The solid lines refer to the slopes summarized in Table 1. See color version of this figure at back of this issue.

- ◆ Dependence on subgrid-scale variability assumptions
- ◆ Moziac: averaged to 15 km lengths
- ◆ ECHAM: effectively neglects subgrid variability
- ◆ IFS (T95): starts to limit at  $0.8 \times \text{Koop}$  ( $\sim 1.6$ ). I.e.  $\text{RH} = \sim 1.3$
- ◆ Both models have results consistent with their underlying assumptions

# Comparing clear sky distributions only



# Numerics

radn, vdf, convection,  
dynamics

1

Clipping

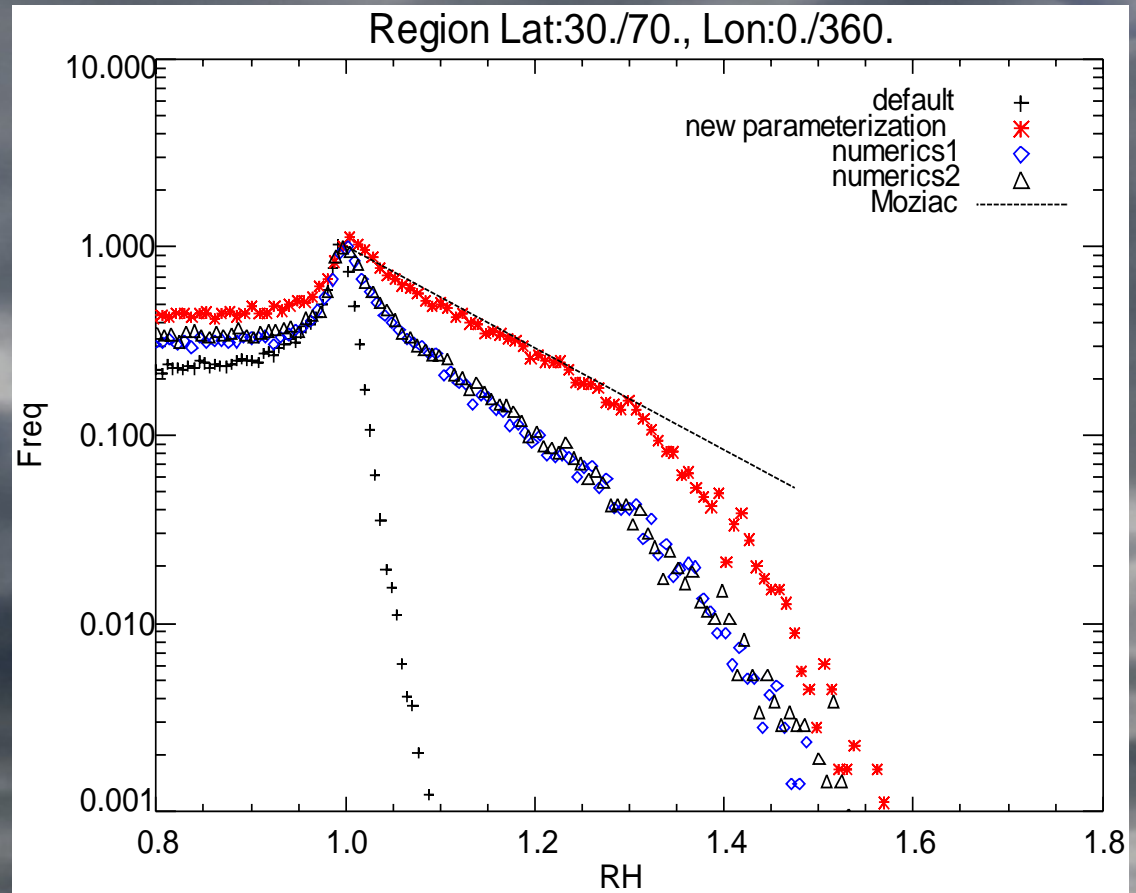
cloud

cloud scheme

2

SL Clipping

precip



# High cloud cover (HCC)

# Total cloud cover (TCC)

New

Control

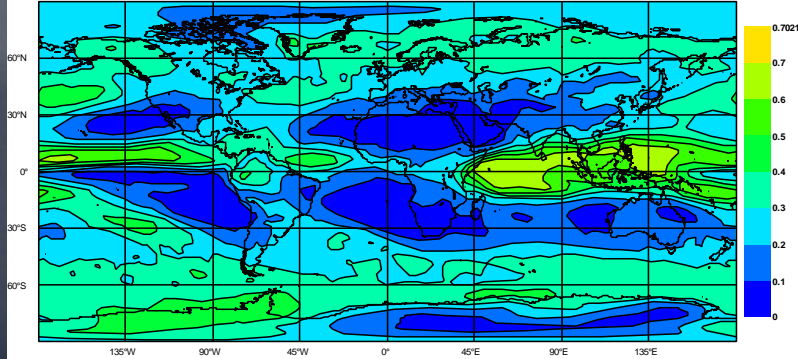
Difference

New

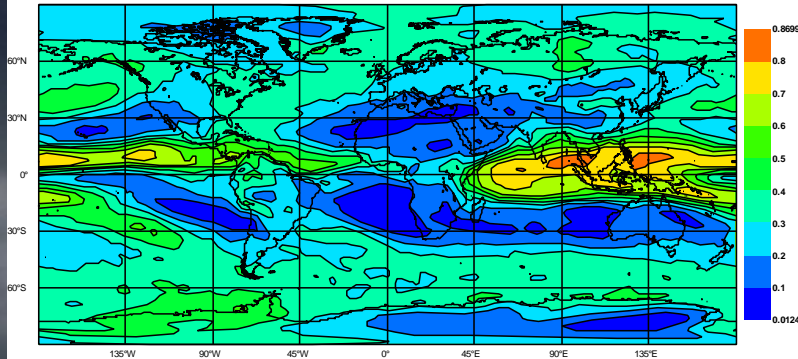
ISCCP D2

Difference

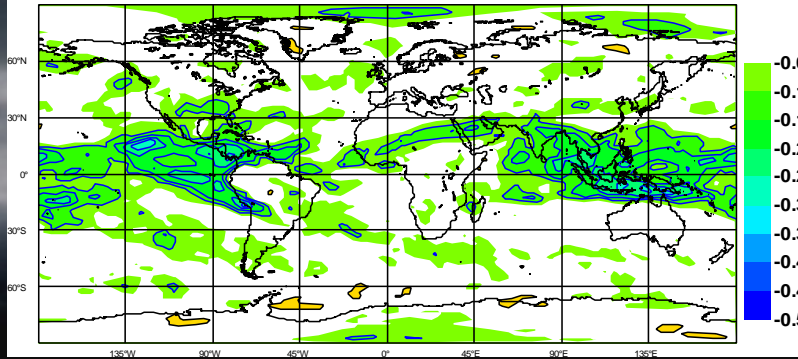
**\*\*high cloud cover ([ 0/1]) ejka 200009 nmon=12 nens=1 Mean: 0.2638**



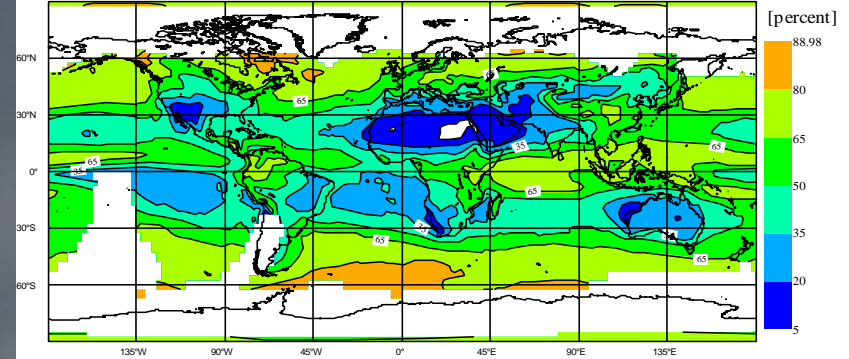
**\*\*high cloud cover ([ 0/1]) ej3z 200009 nmon=12 nens=1 Mean: 0.3179**



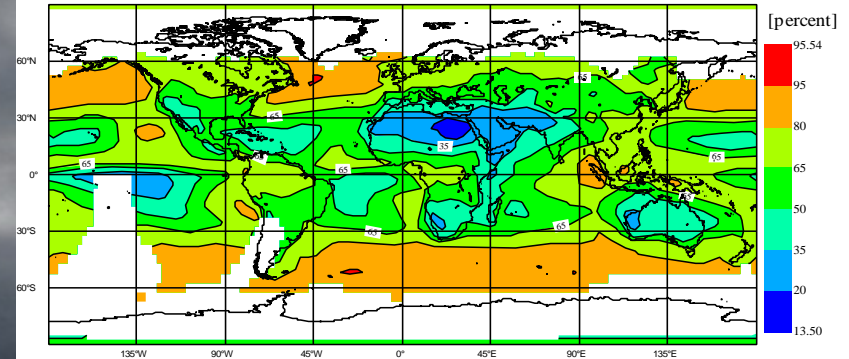
**\*\*high cloud cover ejka-ej3z 200009 nmon=12 nens=1 Diff: -0.05408 Stdev: 0.05936**



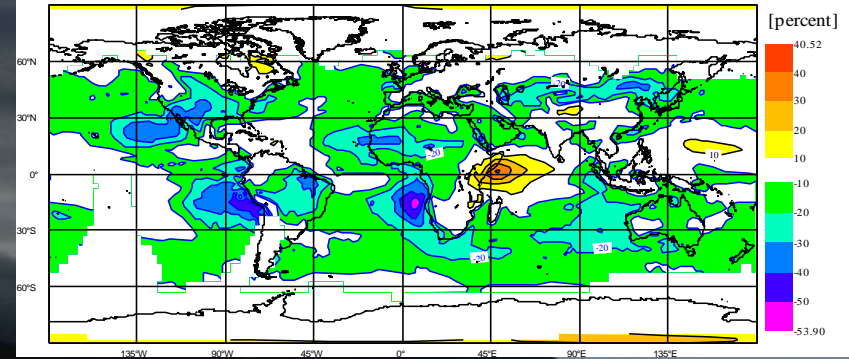
**Total Cloud Cover ejka September 2000 nmonth=12 nens=1 Global Mean: 52.4 50N-S Mean: 49.8**



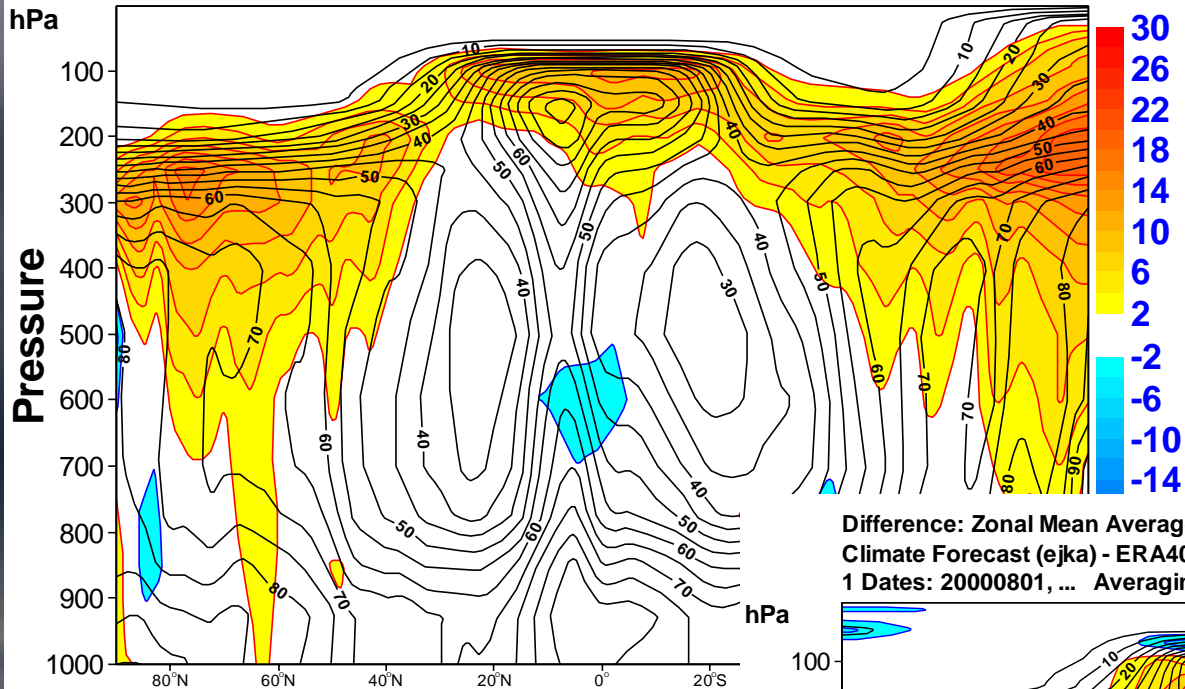
**Total Cloud Cover ISCCP D2 September 2000 nmonth=12 50N-S Mean: 62.2**



**Difference ejka - ISCCP 50N-S Mean err -12.4 50N-S rms 16.3**

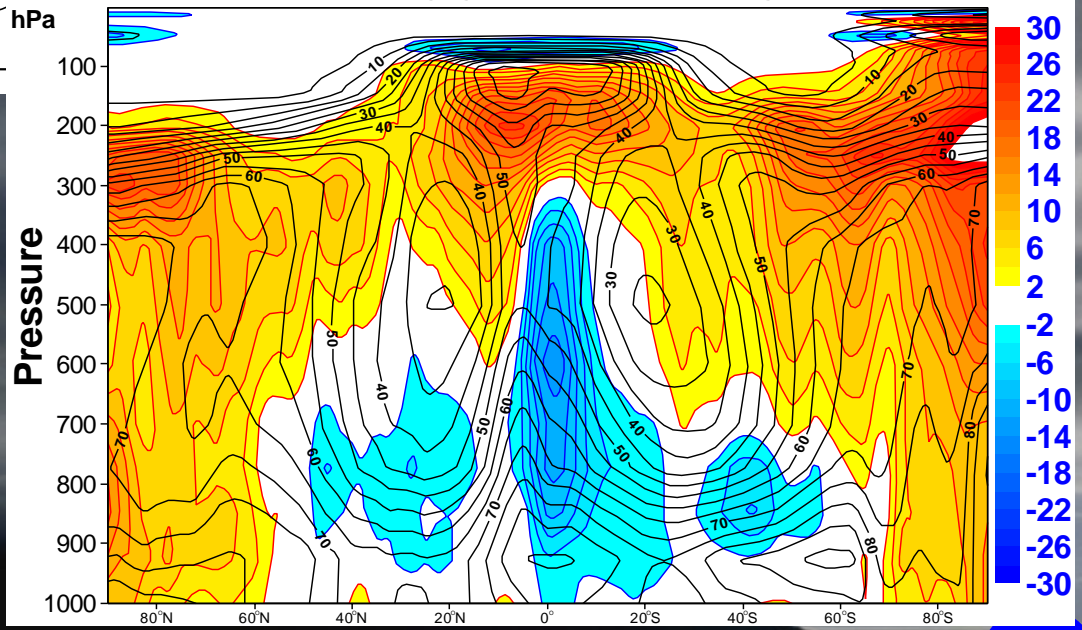


Difference: Zonal Mean Average R (n=1)  
 Climate Forecast (ejka) - (ej3z)  
 1 Dates: 20000801, ... Averaging Period Start: 200009 Length: 12 Months



**New-Control  
 RH  
 Difference**

Difference: Zonal Mean Average R (n=1)  
 Climate Forecast (ejka) - ERA40  
 1 Dates: 20000801, ... Averaging Period Start: 200009 Length: 12 Months

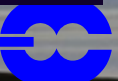


**New-ERA40  
 RH  
 Difference**



## Summary & Future

- ◆ Have discussed some of the issues of subgrid-scale variability that arise even when dealing with simple cloud schemes
  - ◆ Need: diagnostic assumptions or additional prognostic variable
- ◆ Compared the diagnostic approaches used by myself, Gierens and Lohmann/Karcher
- ◆ Introduced simple scheme: SCM and 3D, and attempted to interpret the results
- ◆ TTT: Test, Tune and Trial the new super-saturation scheme
- ◆ Future of the ECMWF cloud scheme: Move towards a prognostic statistical scheme, developing the basic scheme of ECHAM5



- ◆ This will require additional prognostic variable if super saturation is to be included in a non-trivial way
- ◆ If we assume no super-saturation can exist Can only derive cloud cover  $C$  from total water PDF
- ◆ In this case an isomorphism exists between any two moments of the PDF, say, variance/mean of total water, and vapour/liquid mmmr.
- ◆ To represent ice super-saturation still need an additional prognostic equation!

